Pretriangulated A_∞-categories. Corrections

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Section 1.9 "Synopsis of the book". A multicategory C is called *closed* if (citation added): A multicategory C is called *closed* (cf. [Lam69, p. 106]) if

8 lines before Proposition 1.19: 'More explicitly, the component of degree 1 of the graded $\Bbbk$-module $A_\infty(n)$' has to be 'More explicitly, the component of degree 0 of the graded $\Bbbk$-module $A_\infty(n)$'

Above Proposition 3.6: The injection Par $\lambda^\phi_{\mathcal{PMQ}}$ is not split in general.

Proof of Theorem 3.24, bottom of page 86: Both $\otimes_\mathcal{V}^{I \sqcup \mathbf{1}}$ should be $\otimes_\mathcal{V}^{J \sqcup \mathbf{1}}$.

Before Definition 4.7 of a closed multicategory: The definition of a closed $\mathcal{S}$et-multi-category was first given by Joachim Lambek [Lam69, p. 106] in an equivalent form to the following /Definition 4.7/.

Equation (10.28.2): Both $\mathcal{B}$ should be $\mathcal{A}$.